

# CS 162

# Intro to Computer Science II

Lecture 23

STL

Linked List

3/11/24



**Oregon State**  
University

# Odds and Ends

- Lab 10 + Worksheet 10 posted
- Assignment 5 rubrics posted

# Today's topic(s)

- Standard Template Library (STL)
- Linked List

# Template Classes

- Work the same way as templated functions
- All functions within the class will operate on the provided types
- Scope with `ClassName<T>::functionname()`
- Each function needs the Template prefix

# Today's topic(s)

- Template
- Standard Template Library (STL)

# Standard Template Library (STL)

- C++ STL can be broken down into:
  - **Containers** – general purpose data structures (templates) for holding things
  - **Iterators** – special classes for traversing containers
  - **Algorithms** – sorting, searching, etc.
- Iterators make it possible to run the algorithm on the containers
- The STL is a great resource:
  - It contains a wide variety of very useful structures and algorithms
  - It is well-implemented, which means the structures and algorithms perform very efficiently
  - In general, it allows us to avoid re-inventing the wheel

# Introducing STL Containers

- Predefined templates that can store any type of data
- The appropriate container will be dictated by the application requirements
- Example considerations:
  - Does the data need to be stored?
  - How will the data be accessed?
    - Front to back
    - Randomly?
  - Will additional data ever need to be added or removed?
- Careful planning will allow you to write clean, efficient code

# Types of Containers

- Sequential containers (vector, deque, list)
  - Programmer controls the order of the elements
- Associative containers (map, set, multimap, multiset)
  - Position of elements is controlled by container
  - Elements are generally accessed by using a “key”
- Adapters (stack, queue)
  - Use an existing type of container to build other types
    - In this context, we call these “Abstract Data Types”



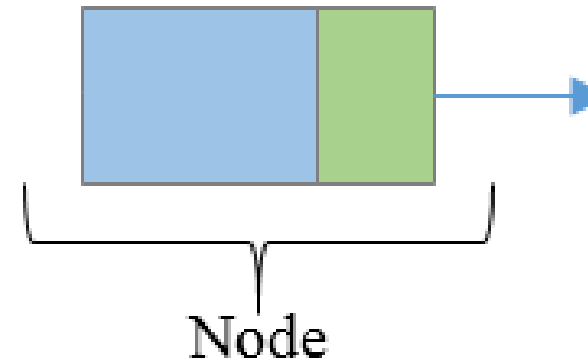
# Examples of C++ Containers

- `<array>` - stores a constant amount of data in contiguous memory
- `<vector>` - An array that can be resized
- `<list>` - Linked list that stores data in non-contiguous memory
- `<set>` - An ordered collection of items
- `<queue>` - Stores data & returns it in the order it was received
  - First in, first out
- `<stack>` - Stores data & returns it in the opposite order that it was received
  - First in, last out
- Generally, it is a good idea to refer to the STL [documentation](#) before starting a project

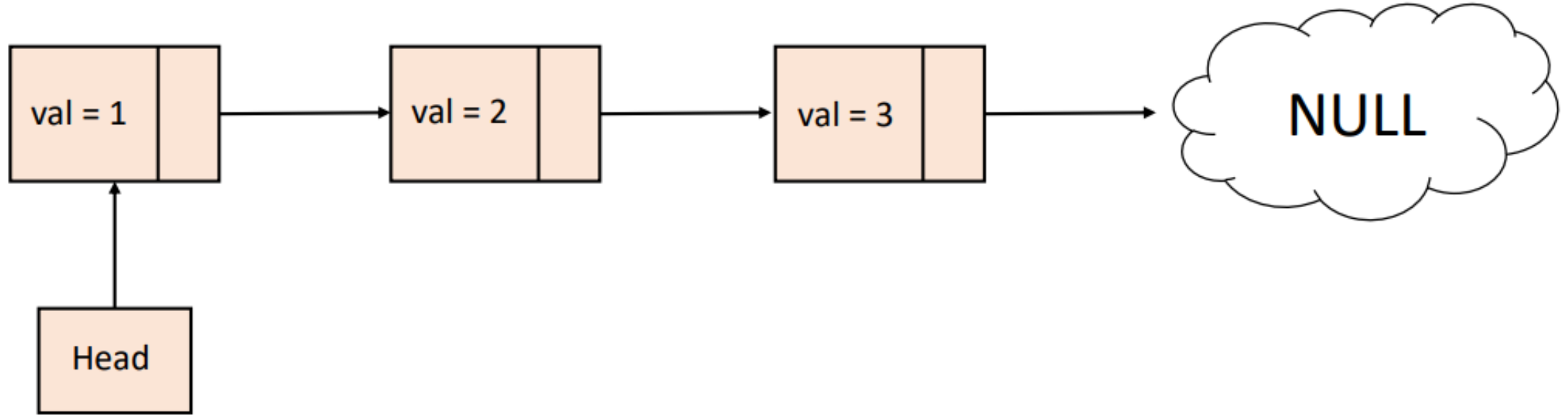
# Linked List

- A list constructed using pointers
- Can grow and shrink easily while the program is running
- Not stored contiguously in memory
- Use structs to create

```
struct Node {  
    int val;  
    Node* next;  
};
```



# Singly Linked List



# In class activity

- Use the code provided on Canvas, complete the following tasks:
  - Task 1: What does the code do? (Hint: Trace through the code by drawing the picture out)
  - Task 2: Write code to print the list you just created. Trace the code you wrote to verify
    - Hint: Use while loop and Node\* current
  - Task 3: Delete the list you just created. Trace the code you wrote to verify
    - Hint: You might need another Node\*

# Pros and Cons of Singly Linked List

- Pros
  - Easy to implement
  - Insertion and deletion of elements can be done easily and doesn't requires movement of all elements compared to an array
  - Can allocate or deallocate memory easily during its execution
- Cons
  - Uses more memory when compared to an array
  - No random access
  - Traversing in reverse is not possible for singly linked list

# Today's topic(s)

- Begin Complexity Analysis

# How to compare/describe algorithms

- We have different data structures and sorting algorithms, how to compare them?
- We want a way to characterize runtime or memory usage that is completely **platform-independent**
  - i.e. does not depend on hardware, operating system, programming language, etc.

# Complexity Analysis

- Use **Complexity Analysis** to help make platform-independent comparisons of data structures
  - Refer to as **Big O**
- Allow us to assess a data structure or algorithm's resource usage (i.e., runtime and memory consumption) in an abstract way
- To do this, we describe how a data structure's or algorithm's runtime or memory usage changes relative to a change in the input size (**n**)

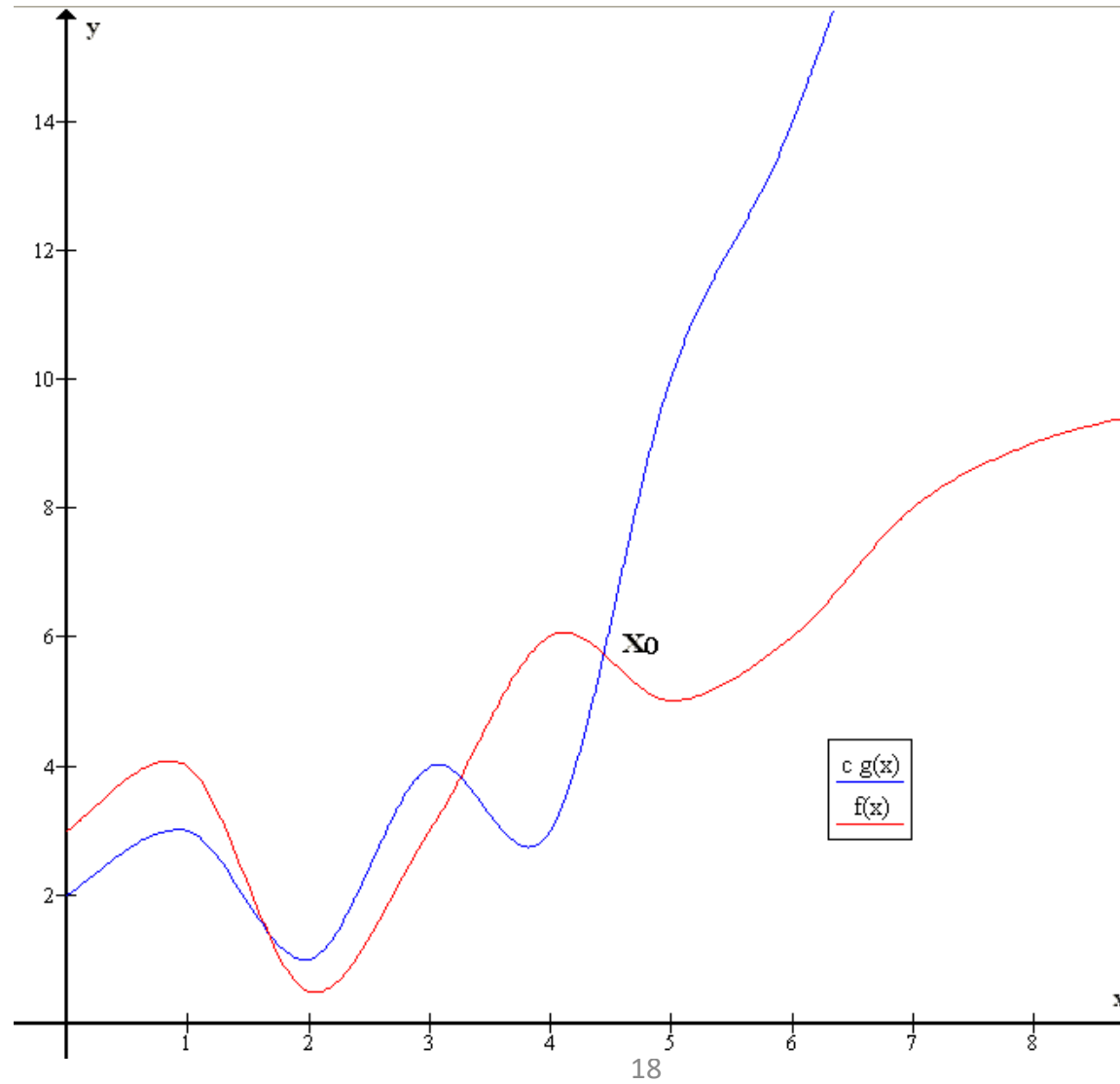


# Big O

- We use **Big O notation** to assess a data structure or algorithm's performance.
- Big O notation: a tool for characterizing a function in terms of its **growth rate**
  - Indicate an **upper bound** on the function's growth rate, known as **growth order**

# Big O

$g(x)$  provides an upper bound on  $f(x)$

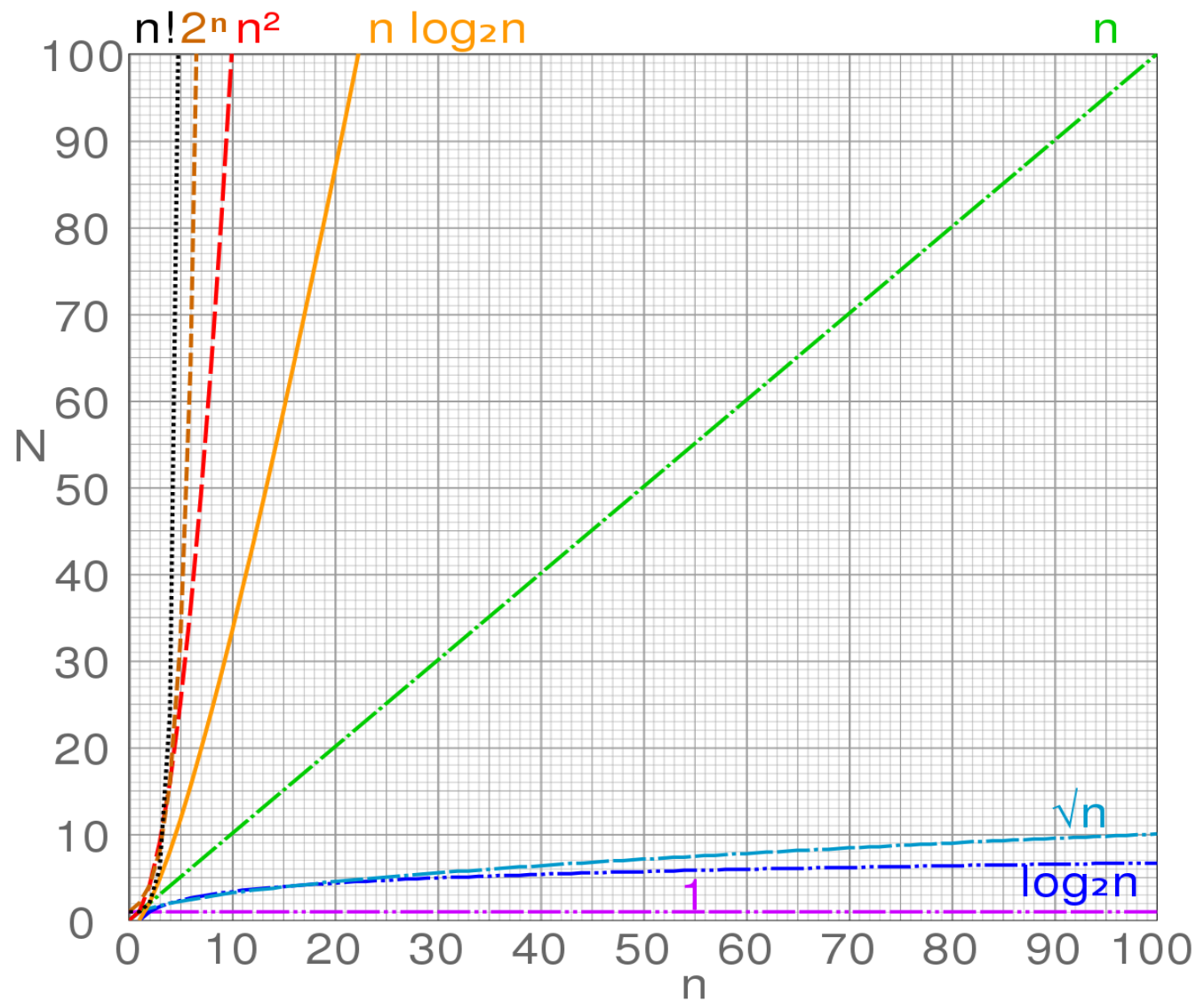


$g(x)$  is  $O(f(x))$

# Big O

- To assess a data structure or algorithm's complexity, we will compute a growth order for its runtime (or memory usage) as a function of the input size  $n$
- Importantly, we want to describe how data structures behave **in the limit, as  $n$  approaches  $\infty$  (infinity)**

# Common growth order functions



# Common growth order functions

- $O(1)$  – constant complexity
- $O(\log n)$  – log-n complexity
- $O(\sqrt{n})$  – root-n complexity
- $O(n)$  – linear complexity
- $O(n \log n)$  – n-log-n complexity
- $O(n^2)$  – quadratic complexity
- $O(n^3)$  – cubic complexity
- $O(2^n)$  – exponential complexity
- $O(n!)$  – factorial complexity

# Big O

- Consider this example...

```
int sum = 0;
for (i = 0; i < n; i++) {
    sum += array[i];
}
return sum;
```

- This function is summing an array of n integers
- What's the run-time complexity of the function?

# Big O example

```
int sum = 0;
for (i = 0; i < n; i++) {
    sum += array[i];
}
return sum;
```

- The instruction `int sum = 0;` executes in some constant time  $c_1$  independent of  $n$
- Each iteration of the loop executes in some constant time  $c_2$ , and this happens  $n$  times
- The return statement executes in some constant time  $c_3$  independent of  $n$
- So runtime is  $c_1 + c_2 * n + c_3$
- $c_1$ ,  $c_2$ , and  $c_3$  depend on the particular computer running this function, so we ignore them to figure out run-time complexity
- Thus, this function grows on the order of  $n$ , a.k.a. its run-time complexity is  **$O(n)$**

# Determining a program's complexity

```
node* push (node * head, int val) {  
    node *temp = new node;  
    temp->val =val;  
    temp->next = head;  
    head = temp;  
    return head;  
}
```

- Every instruction in this function executes in some constant time, independent of n
- Thus we ignore them to figure out runtime complexity.
- Complexity:  $O(c_1+c_2+c_3+c_4+c_5) = \mathbf{O(1)}$



# Dominant components

- When a growth order function has additive terms, one of those will dominate the others
  - Specifically, function  $f(n)$  dominates  $g(n)$  if  $n_0: n > n_0, f(n) > g(n)$
- In these cases, we simply ignore the non-dominant terms
  - i.e.  $n^2 - n, n^2$  dominates  $n$ , so we ignore  $n$ , and we say this complexity is  $O(n^2)$

# More examples

- Loops are one of the main determinants of a program's complexity

- ```
for (int i = 0; i < n; i++) {  
    ...  
}
```

- ```
for (int i = n; i > 0; i/=2) {  
    ...  
}
```

- ```
for (int i = 0; i*i < n; i++) {  
    ...  
}
```

# More examples

- ```
for (int i = 0; i < n; i++) {  
    for (int j = 0; j < n; j++) {  
        ...  
    }  
}
```

- ```
for (int i = n; i > 0; i/=2) {  
    for (int j = 0; j < n; j++) {  
        ...  
    }  
}
```

# Real-world Consideration

- Your program will only perform as well as your design
  - Constant factors can still play a part
- Suppose you have two algorithms...
  - Algorithm A)  $1,000,000n \rightarrow O(n)$
  - Algorithm B)  $2n^2 \rightarrow O(n^2)$
  - Which one is better?
    - It depends